## MATH 17: KNOT THEORY <br> WINTER 2018 HOMEWORK \#5

Problem 0. Solve, but do not submit: find a triangulation and compute the genus for the torus, as well as for the torus with one disk removed.
Problem 1. Chapter 4, Exercise 1.2
Problem 2. Chapter 4, Exercise 1.3 (only do the 7-crossing knots)
Problem 3. Prove the theorem from class stating that if a connected, orientable surface $S$ is a union of disks with bands attached, then

$$
g(S)=\frac{2-\# \text { disks }+\# \text { bands }- \text { \#boundary components }}{2} .
$$

Problem 4. Chapter 4, Exercise 2.6

[^0]
[^0]:    Date: Due Wednesday, February 14, at the beginning of class.

