MATH/CS 295: CRYPTOGRAPHY HOMEWORK \#12 ADDITIONAL PROBLEM

Problem 5.A*. Alice and Bob use a Diffie-Hellman exchange with the elliptic curve $E$ : $y^{2}=x^{3}+383$ over $\mathbb{F}_{2003}$ with $\# E\left(\mathbb{F}_{2003}\right)=2004$ and the point $G=(977,314)$. Alice sends Bob the point $(930,937)$ and Bob sends Alice the point $(425,1182)$. What is their common secret key? [Hint: Use baby-step giant-step to solve an elliptic curve discrete logarithm problem.]

